

Skinning maps are finite-to-one

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Abstract

We show that Thurston's skinning map for a hyperbolic manifold with nonempty incompressible boundary (of negative Euler characteristic) has finite fibers. The proof includes new results on the holonomy representations of complex projective structures on surfaces, a stratified Kaehler metric on the space of measured geodesic laminations on a surface, and a study of group actions on Lambda-trees arising from valuations on the function fields of algebraic varieties parameterizing representations into $SL(2, \mathbb{C})$.

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